

Optimal estimation retrievals of precipitation with active and passive measurements (using ARTS as a forward model)

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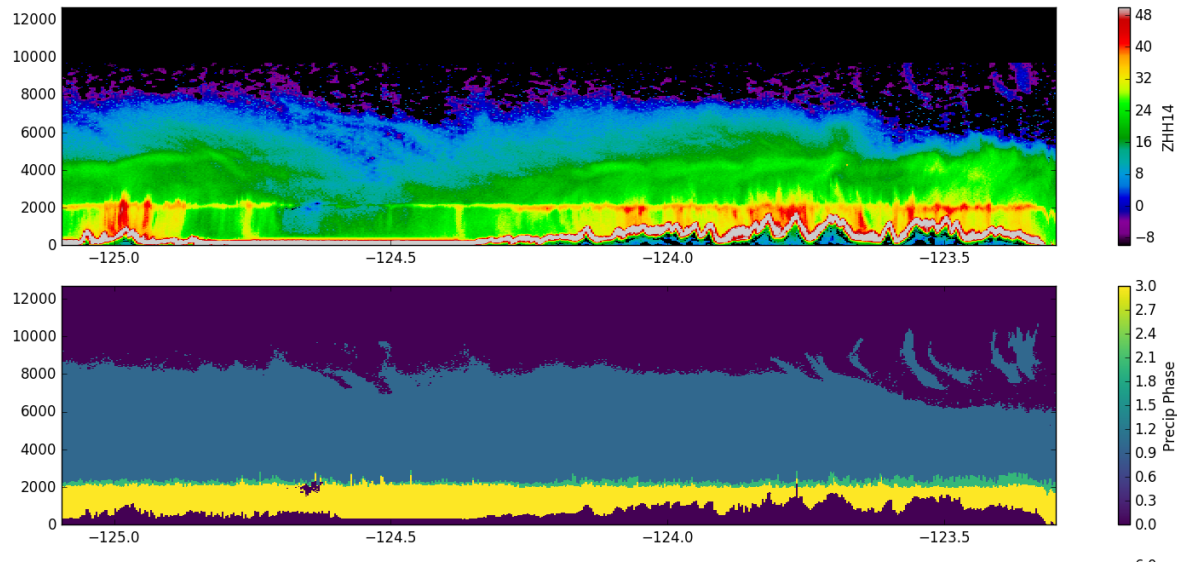
With contributions from: Ian S. Adams, Kwo-sen Kuo, Mircea Grecu,
and Bill Olson

Outline

- Basic considerations, emerging ~~best~~ common practices for multi-frequency radar + radiometer precipitation retrievals
- Defining the retrieval parameter set
- Dimensionality and Solver options
- Examples
- ARTS Wish List

Basic considerations

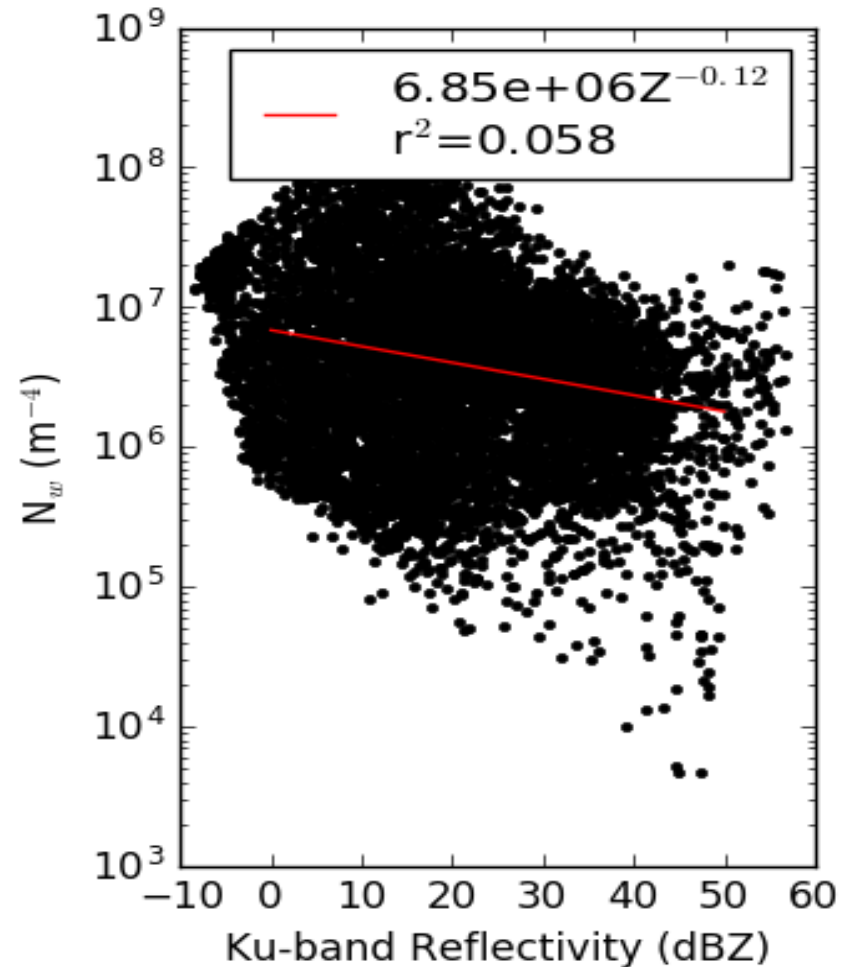
- Start with radar:
 - Map hydrometeor field (include phase)



- Use Hitchfeld-Bordan to correct attenuation & convert Z to PSD parameters (prefer wavelength with minimal attenuation, MS)
- First-guess atmospheric (T, Q_v, Q_c) properties
 - Soundings, reanalysis, etc
- Surface Emissivity

Hydrometeor “Retrievables”: Liquid Phase

- PSD requires 2-3 parameters in rain
 - Concentration/Scaling parameter ($N_0/N_w/W$)
 - Characteristic Size ($\Lambda/D_0/D_m/r_e$)
 - Spread (μ/σ_m) – often assumed constant or $f(D_m)$
- Convenient to choose 1 parameter to be retrieved at high resolution (approaching radar res) and others on a lower-resolution grid. Low-res parameter(s) should be:
 - Not correlated with Z (N_w good choice)
 - Grid resolution should resolve decorrelation length of low-res parameter(s)

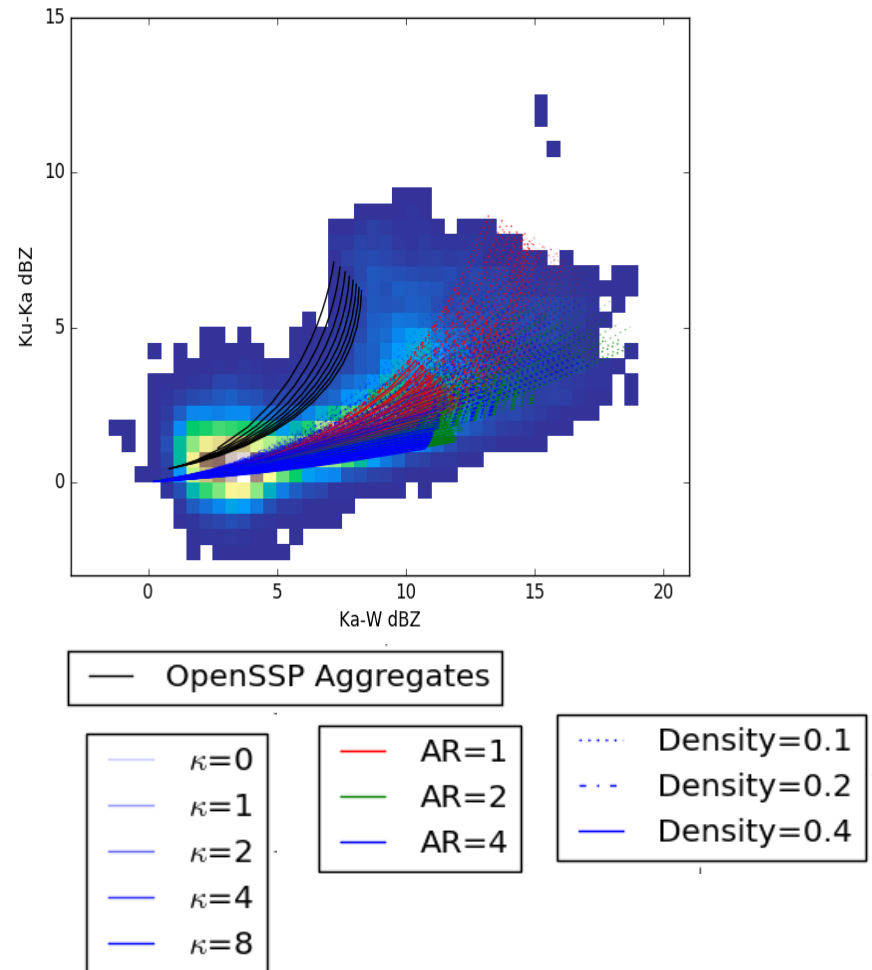


Hydrometeor “Retrievables”: Ice Phase

- Particle shape is important (aspect ratio, orientation distribution)
- Degree of riming (need scattering models)
- $N_w = f(T)$ (Field et al., 2005)
- Multiple species co-exist. Need compact representation.

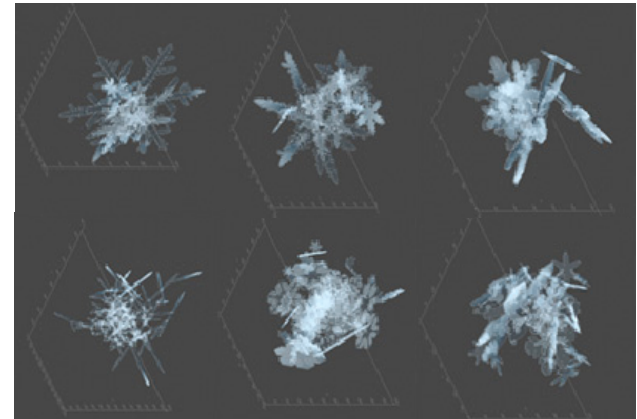
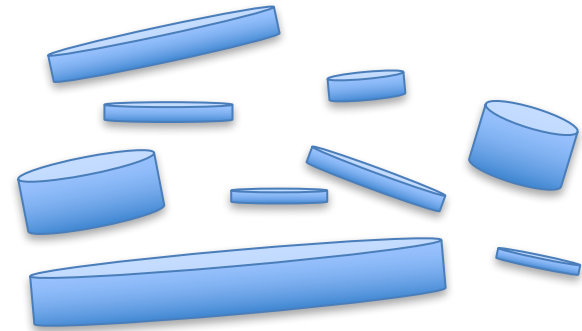
- Heuristic:

Define **Aggregate Fraction** = $W_{agg} / (W_{agg} + W_{pristine})$ and add to $[N_w, \mu]$ in retrieval parameter set.



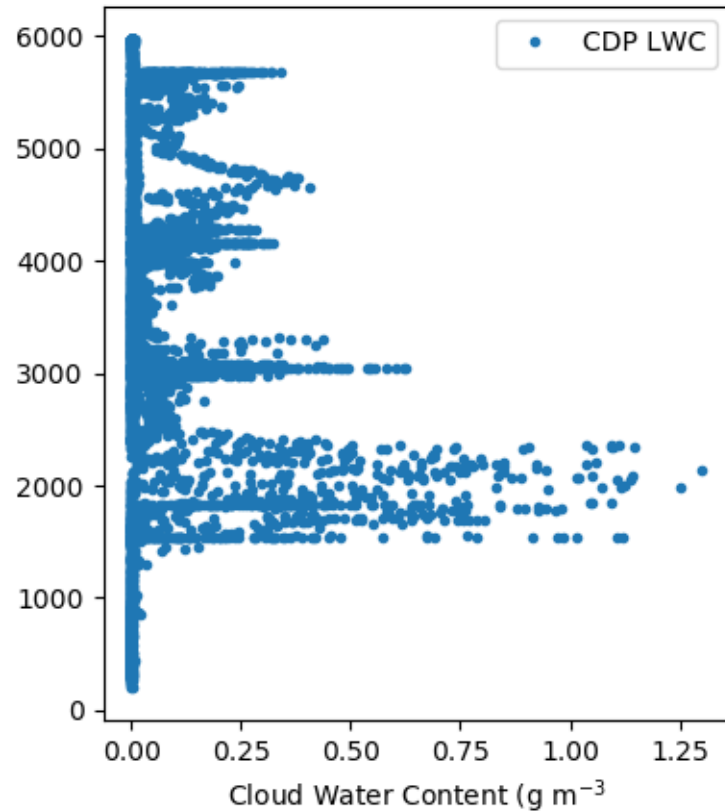
Scattering models

- Pristine: T-Matrix Cylinders
 - Shown to be a good approximation for plate-like particles by Adams and Bettenhausen (2012)
 - Convenient for testing sensitivity of observations to many geometric parameters
 - Using 4:1 aspect ratio, 0.4 g/cm^3 density, and $\kappa=40$ for convenience and reasonable simulation of GPM observations (see poster)
- Aggregates: OpenSSP database (Kuo et al., 2016)
 - Only randomly-oriented scattering properties currently available
 - Multiple size-density relationships can be constructed



Environment “Retrievables”

- Temperature, water vapor perturbations
 - How to represent?
Coarse grid, EOFs
- Cloud Liquid Water
 - Often occurs in thin layers – poses difficulties for “traditional” OE (more later)
- Surface emissivity (wind)



Optimal Estimation

- Minimize a cost function:

$$J(\mathbf{X}) = \left[(\mathbf{X} - \mathbf{X}_a)^T \times \mathbf{S}_a^{-1} \times (\mathbf{X} - \mathbf{X}_a) \right] + \left[(\mathbf{Y} - f(\mathbf{X}))^T \times \mathbf{S}_y^{-1} \times (\mathbf{Y} - f(\mathbf{X})) \right]$$

- What is in x? What is in y?

$$\mathbf{X} = \begin{bmatrix} \text{Grids of:} \\ \text{PSD parameters:} \\ \mathbf{D}_m / N_w, \mu / \sigma_m \\ \text{Ice species/riming} \\ \text{T/Qv/Cloud Liquid} \\ \text{Surface emissivity} \end{bmatrix} \quad \mathbf{Y} = \begin{bmatrix} \text{Radar DFR (or} \\ \text{non-primary freq} \\ \text{Z), LDR, ZDR} \\ \text{profiles} \\ \text{Radar PIA or dPIA} \\ \text{Radiometer Tbs} \end{bmatrix}$$

- What is the forward model?
 - 1D Radar Pencil-beam (MCRadarSS)
 - 1D polarized RTM (RT4)
 - 3D multiple scattering radar (MCRadar)
 - 3D polarized RTM (MCGeneral)

Dimensionality: 1D vs. 3D Retrieval

1D Retrievals

- Observations (active and passive) should be along same line-of-sight & similar beamwidth
- Implicit assumptions: plane-parallel atmosphere and uniform beam-filling
- Can use nadir-only (curtain) observations
- Can use 1D RTM
- Computationally cheap

3D Retrievals

- Can use observations from many positions, lines-of-sight, and beam widths, as long as beam is contained within cloud box
- Require volume radar scan from at least 1 frequency
- Require 3D RTM
- Computationally expensive – need to optimize scene size

Solving Method

“Traditional” or Gauss-Newton OE (Rodgers 2000)

- Requires analytic or finite-difference Jacobian -> precludes use of MC RTMs
- $$\Delta \mathbf{X} = (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{S}_a^{-1})^{-1} (\mathbf{S}_a^{-1} (\mathbf{X}_a - \mathbf{X}) + \mathbf{K}^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}))$$
- Assumes Gaussian behavior of \mathbf{X}
 - Computational limiters:
 - Jacobian calculation (nvar x nobs)
 - Multiplication and inversion of nvar x nvar matrix: $O(N^3)$
 - Iteration of above

Ensemble Filter (Evensen 1994, 2003)

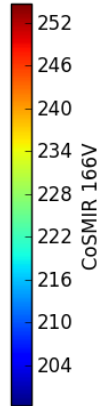
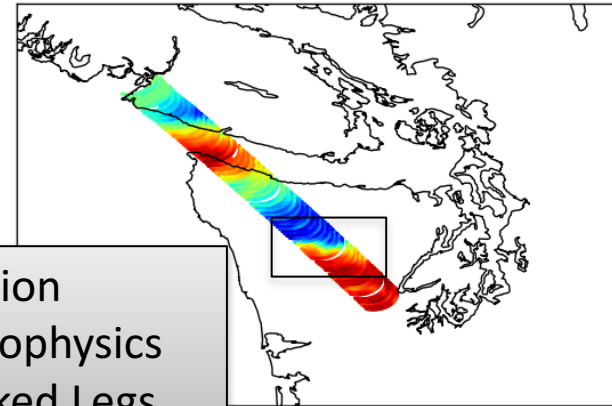
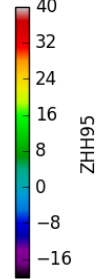
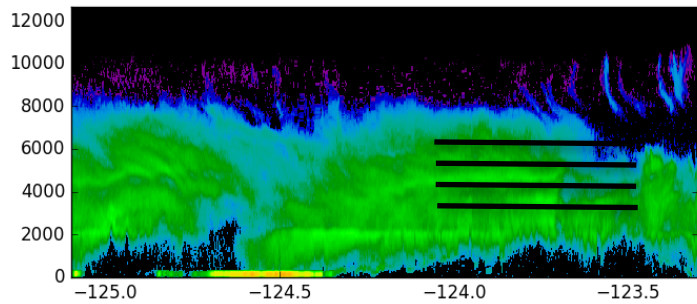
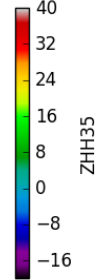
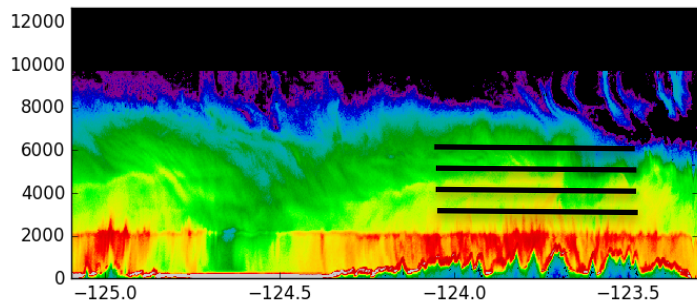
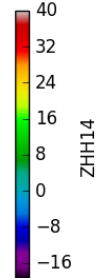
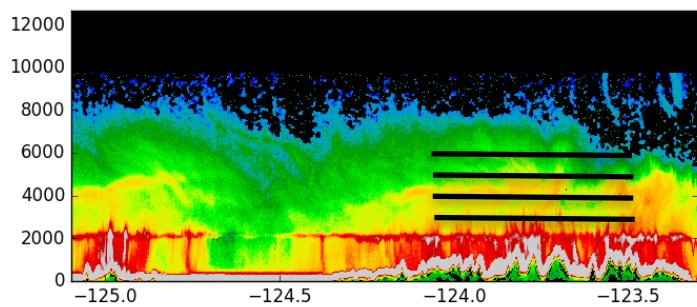
- Use sample covariance between \mathbf{X} and $\mathbf{Y} = \mathbf{f}(\mathbf{X})$ to guide adjustments:

$$\bar{\mathbf{X}} = \bar{\mathbf{X}} + \mathbf{Cov}(\mathbf{X}, \mathbf{Y}) (\mathbf{Cov}(\mathbf{Y}, \mathbf{Y}) + \mathbf{R})^{-1} (\mathbf{Y}_{\text{obs}} - \bar{\mathbf{Y}})$$

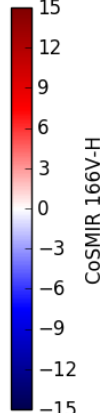
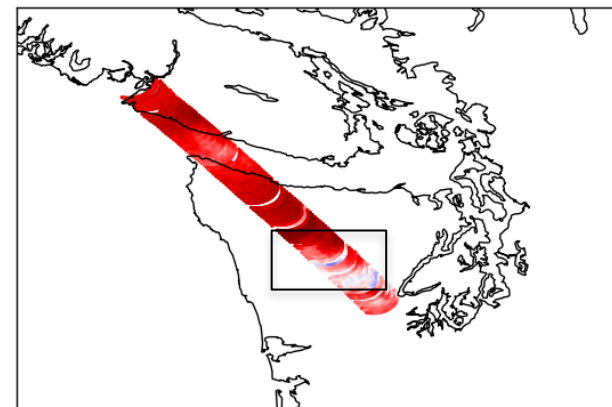
- Can use MC RTMs at any precision
- Allows for non-Gaussian behavior e.g., multi-modal solution clusters
- Computational limiters:
 - Calculation of $\mathbf{Cov}(\mathbf{X}, \mathbf{Y})$, $\mathbf{Cov}(\mathbf{Y}, \mathbf{Y})$, and inverse
 - MC precision x N_{ens}

Case Study: OLYMPEX

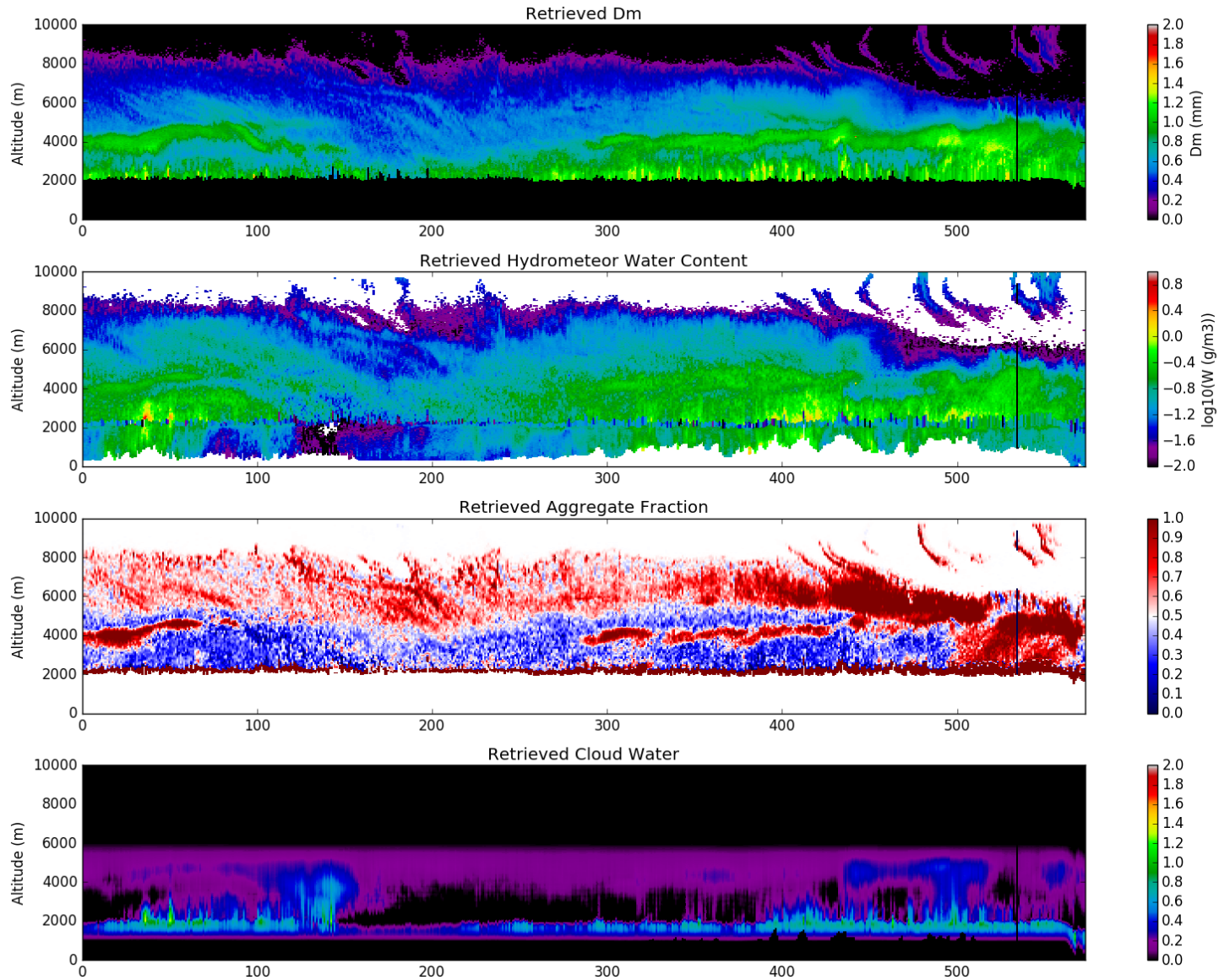
3 December 2015



Citation
Microphysics
Stacked Legs

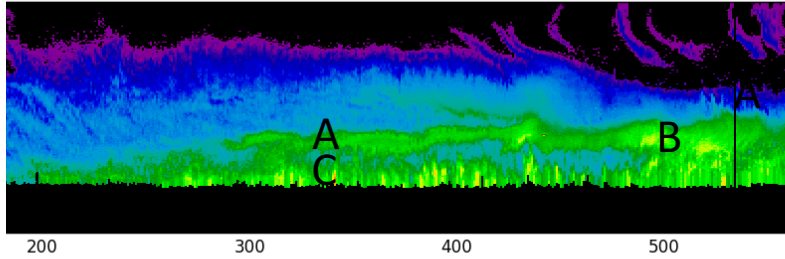


1D, Radar-only retrieval results

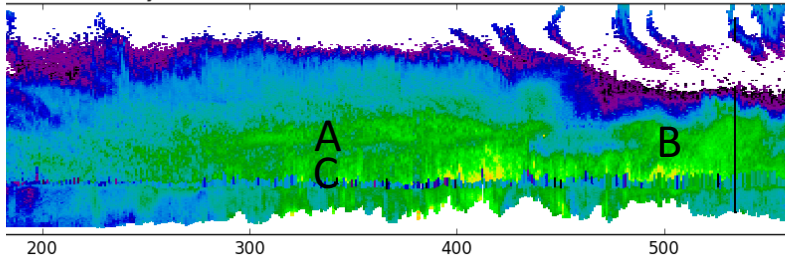


1D, Radar-only retrieval results

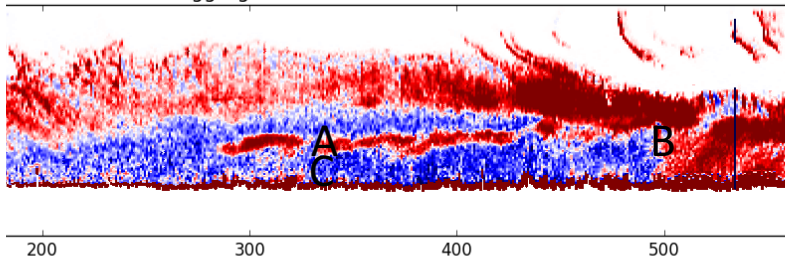
Retrieved Dm



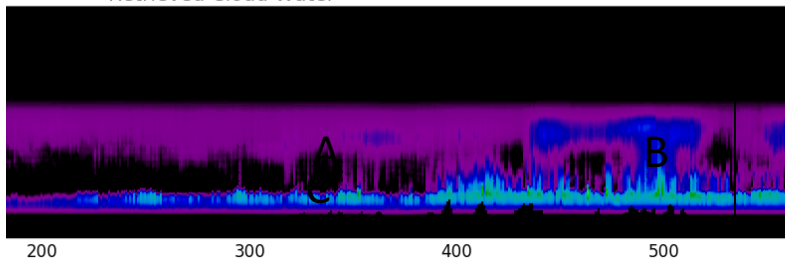
Retrieved Hydrometeor Water Content



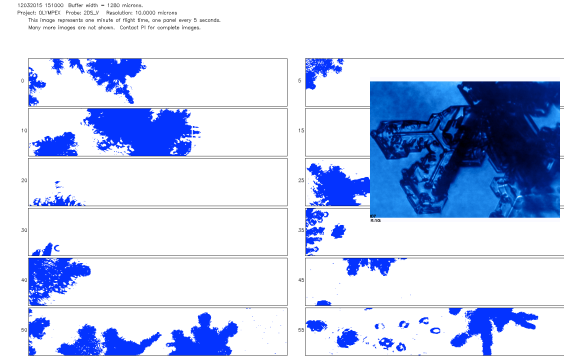
Retrieved Aggregate Fraction



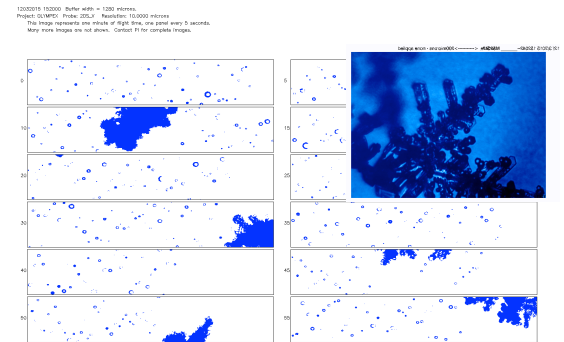
Retrieved Cloud Water



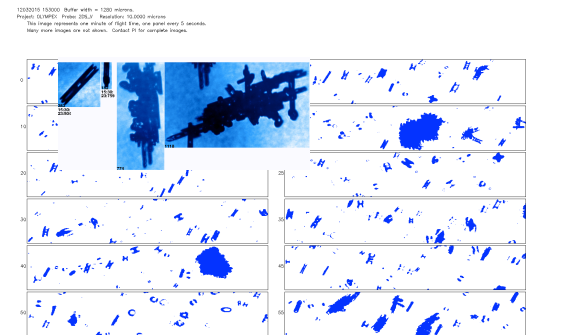
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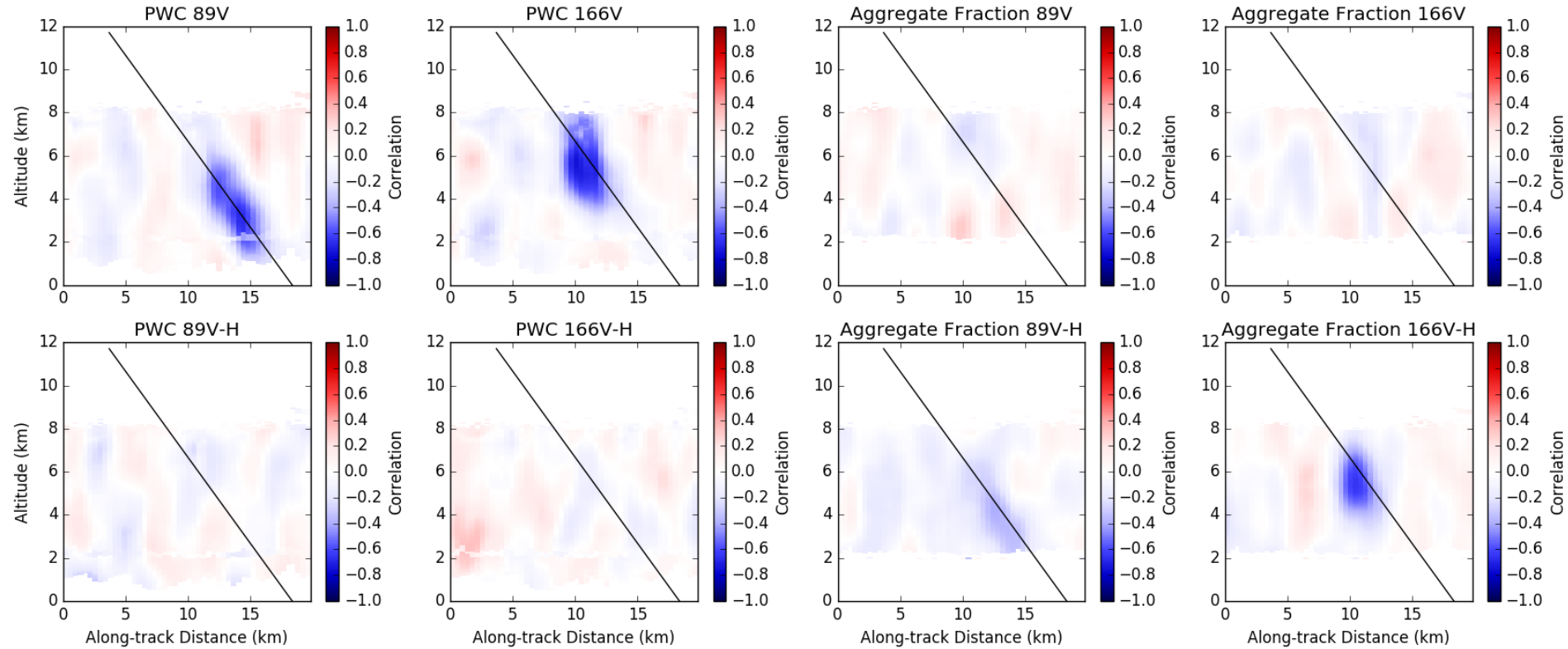
B



C



3D-ENS Covariances

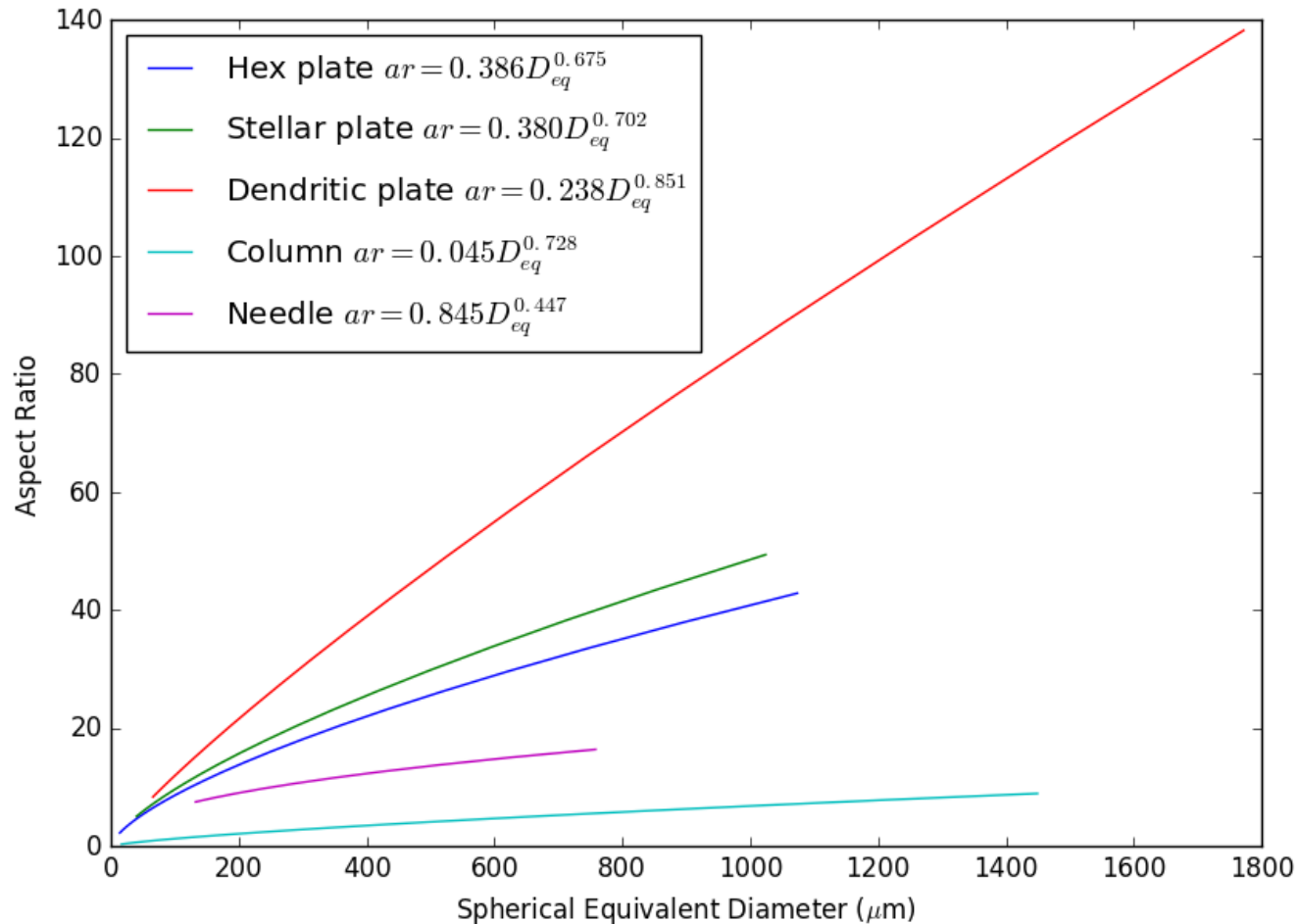


My ARTS wish list:

- Particle Scattering
 - Efficient way to handle melting particles
 - More ice scattering models (oriented pristine habits, rimed pristine & aggregates)
- RT4 features:
 - (Fast) Analytic Jacobians
 - Interpolation of 1D profiles from 3D atmosphere along LOS
- MCGeneral:
 - Desired uncertainty in Q (not just I)
- OE & Ensemble solvers for radar-based precipitation retrievals:
 - Hitchfeld-Bordan uses ARTS scattering and absorption models, but run in Julia
 - could be implemented in ARTS (need to reconcile native radar grid w/ ARTS)
 - Currently using Python/Julia & calling ARTS as forward model
 - Direct implementation in ARTS would reduce overhead, but need to define inputs/variables in flexible way – is this possible for all applications?

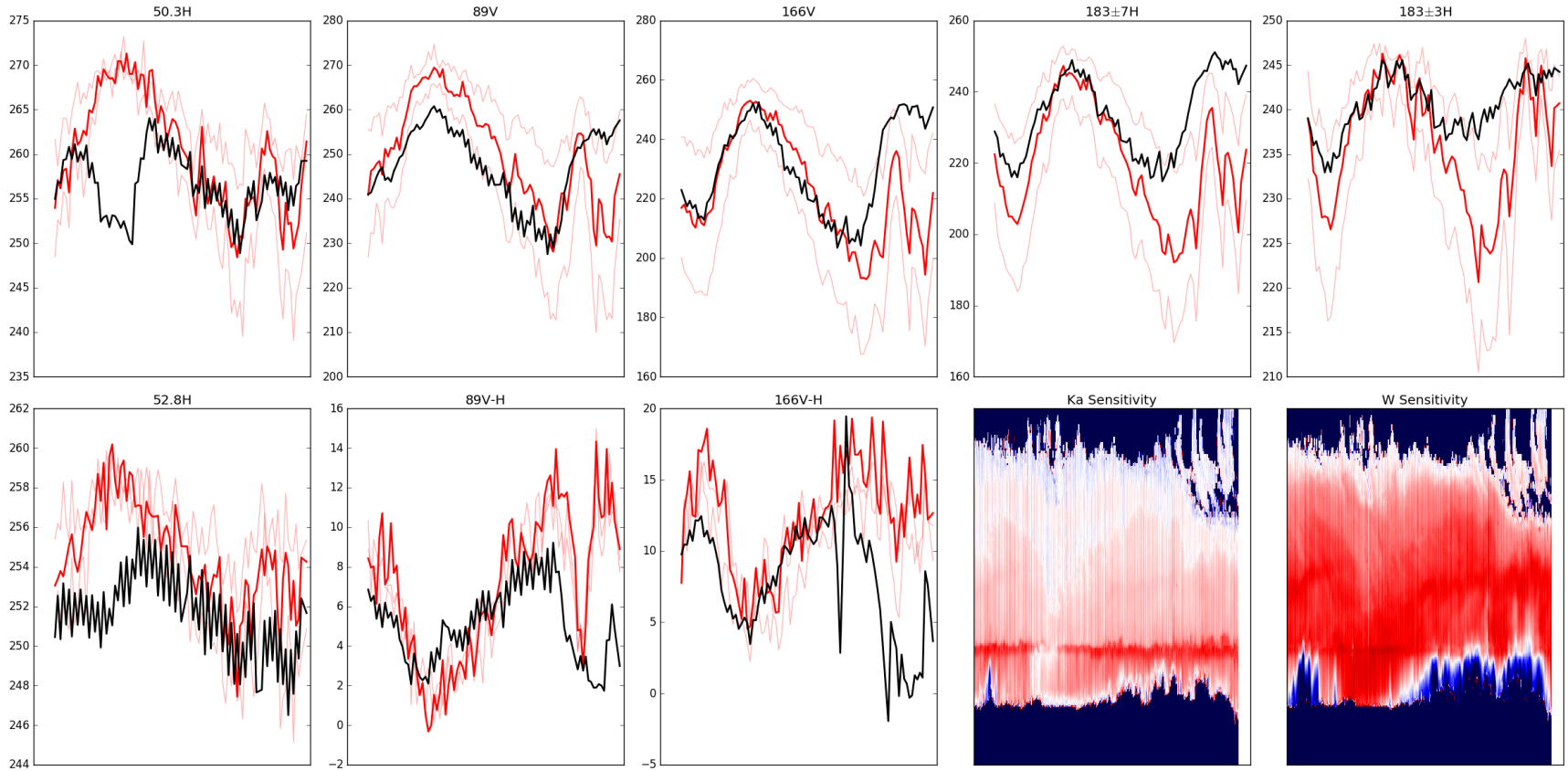
Do we need more extreme aspect ratios?

Size-shape relationships for pristine crystals (adapted from Auer Jr. and Veal, 1970)

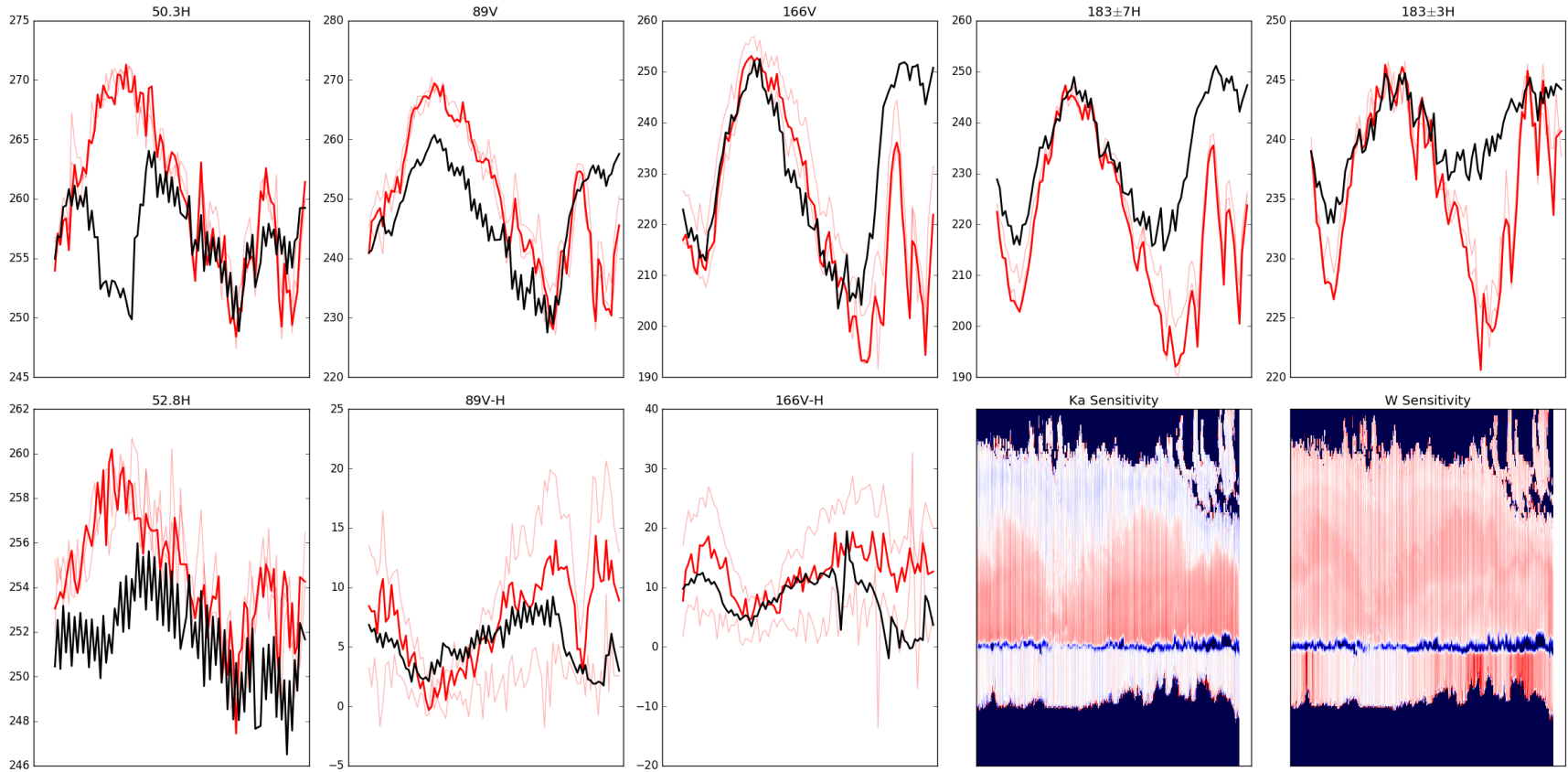


*IITM can provide fast scattering calculations at more extreme aspect ratios than EBCM (Mishchenko)

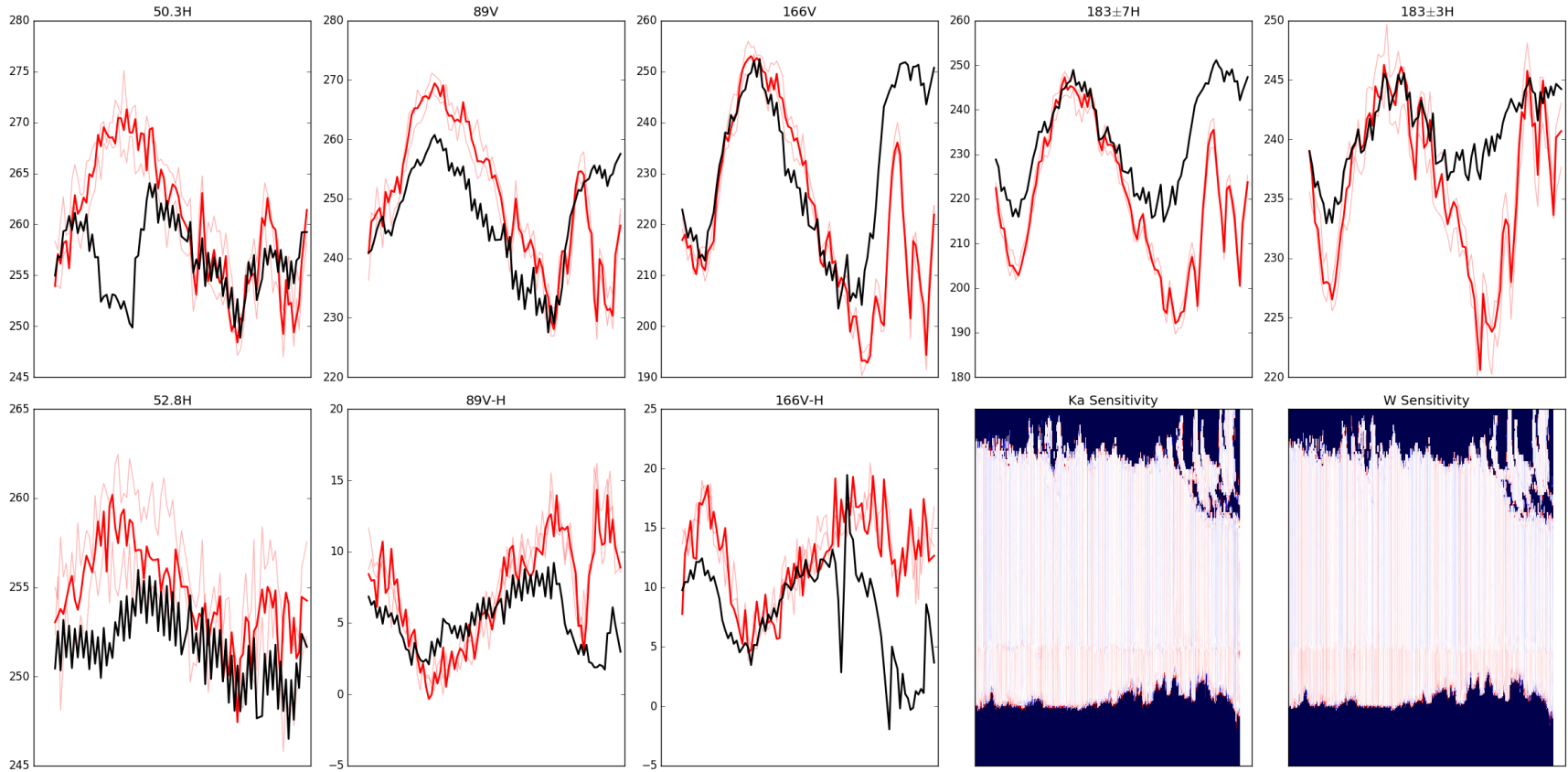
Sensitivity Test: Nw



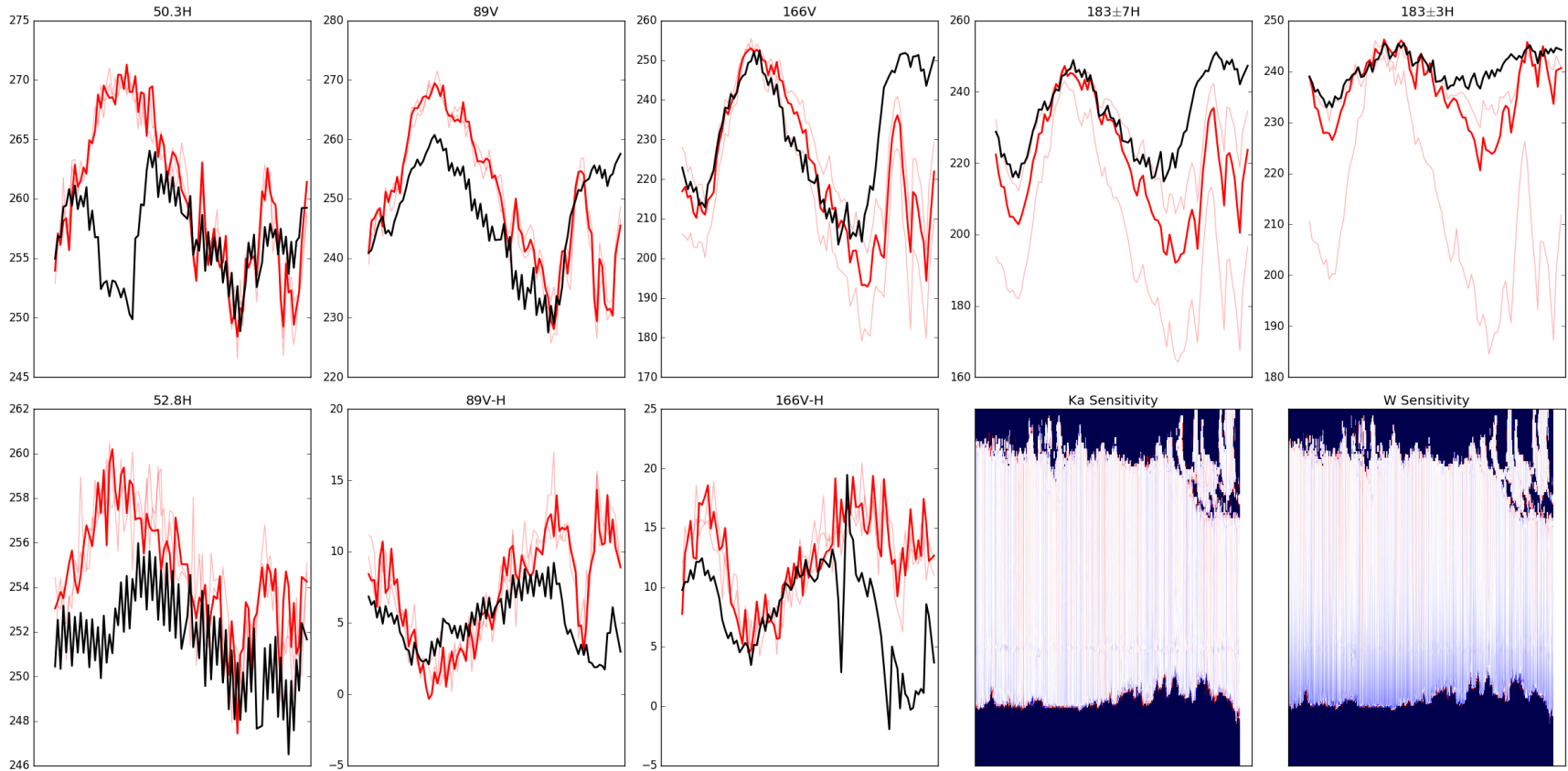
Sensitivity Test: Pristine Fraction



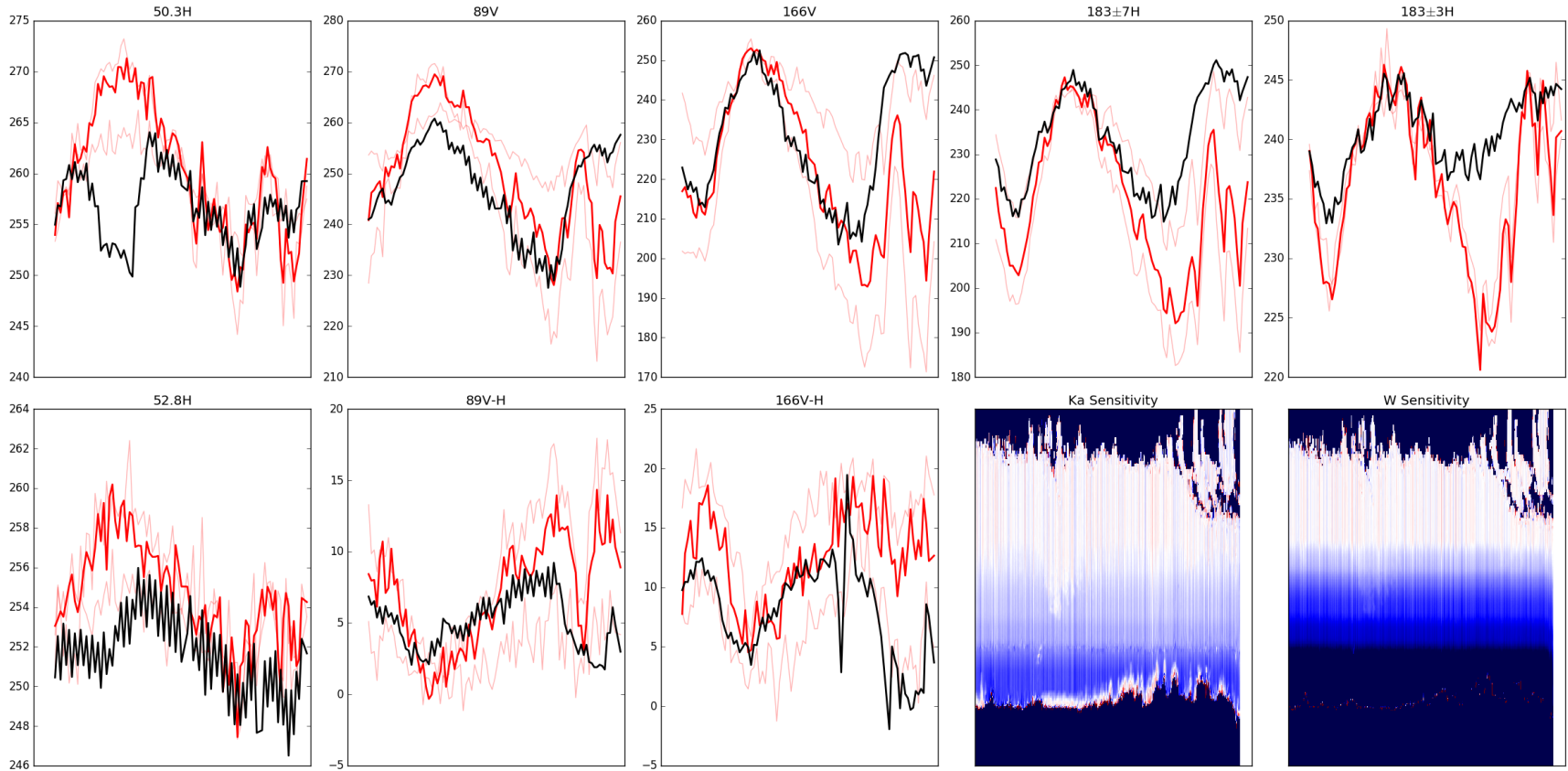
Sensitivity Test: Temperature



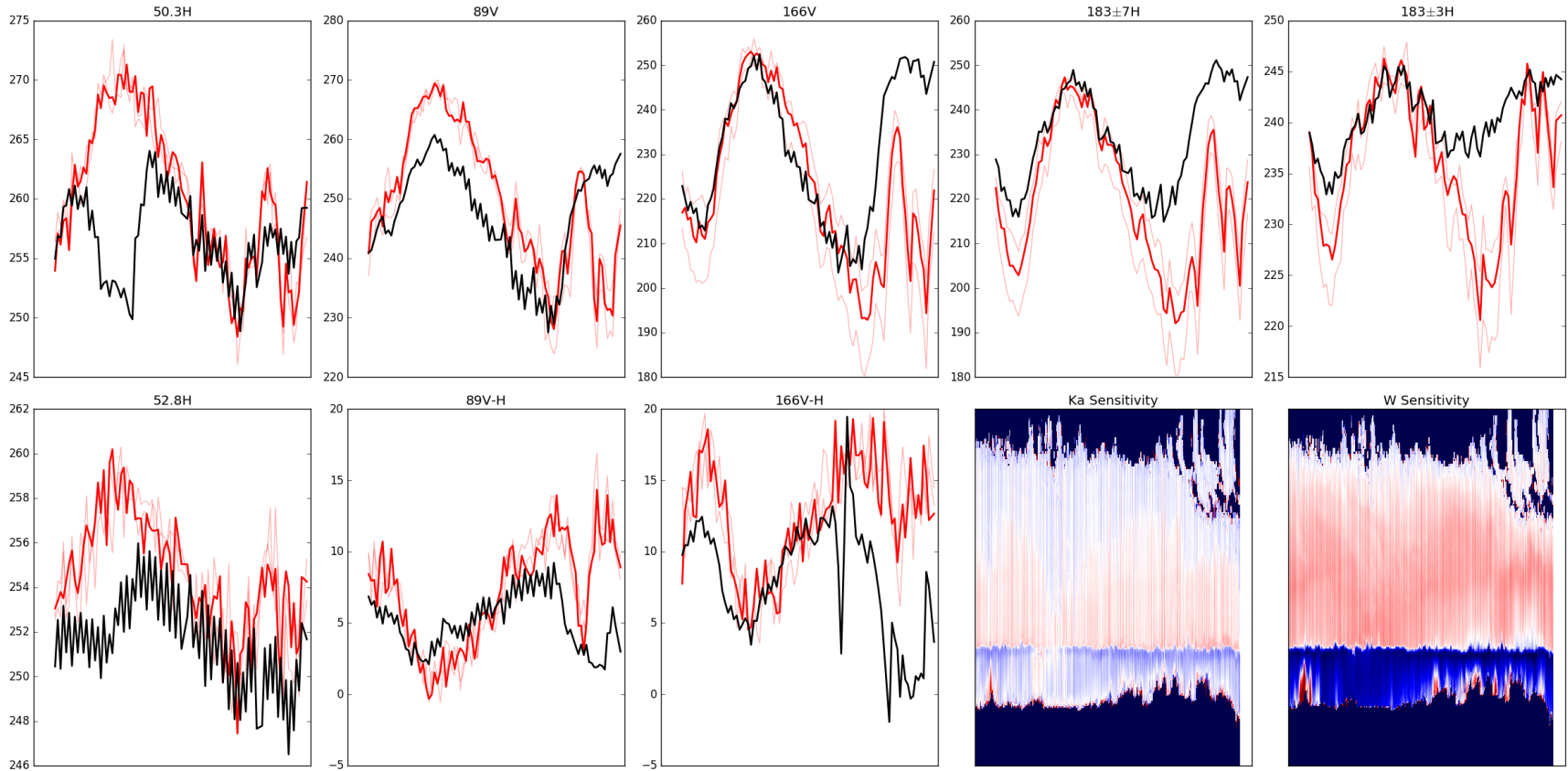
Sensitivity Test: Water Vapor



Sensitivity Test: Cloud Water



Sensitivity Test: PSD shape parameter



Sensitivity Test: Emissivity=0.8

