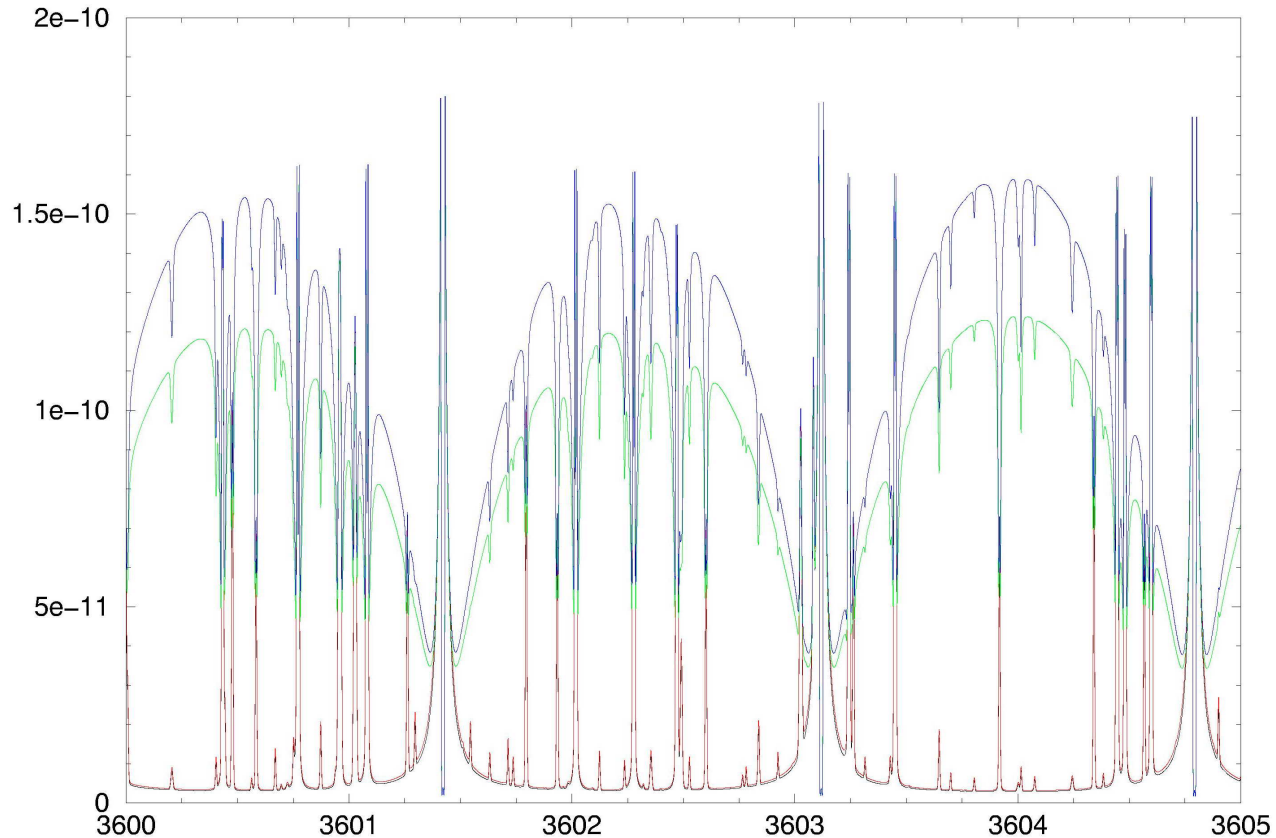


# Solar Single Scattering in MIRART



- **Motivation**
- **New Aspects / Enhancements**
  - aerosol-loaded atmosphere
  - geometry
  - solar source term
- **Examples**

- **MIRART:**

  - Line-by-Line-Code

  - pure gaseous atmosphere (NO absorbing or scattering aerosols considered)

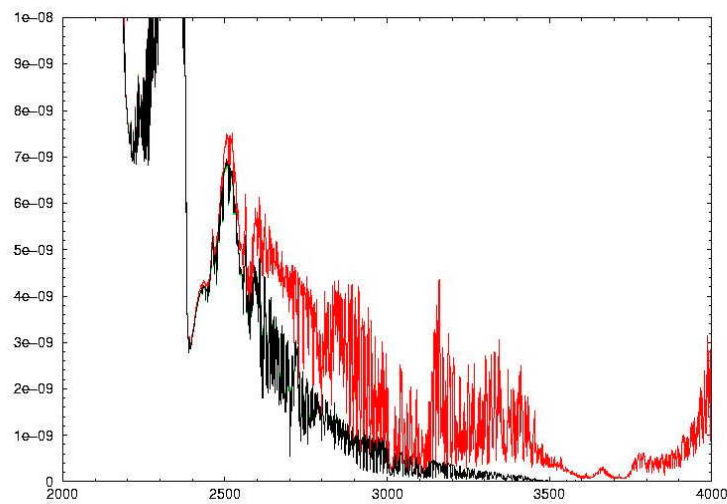
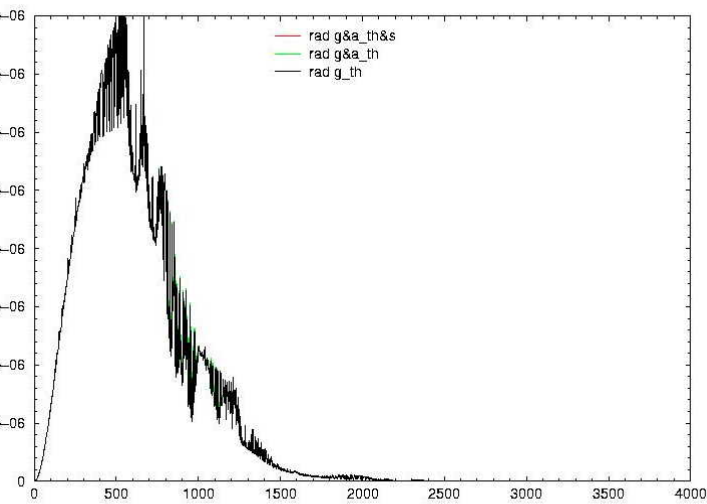
  - Planck source term

- **Implementation of solar single scattering**

  - retrieval in case of fire, smoke, volcanic ash

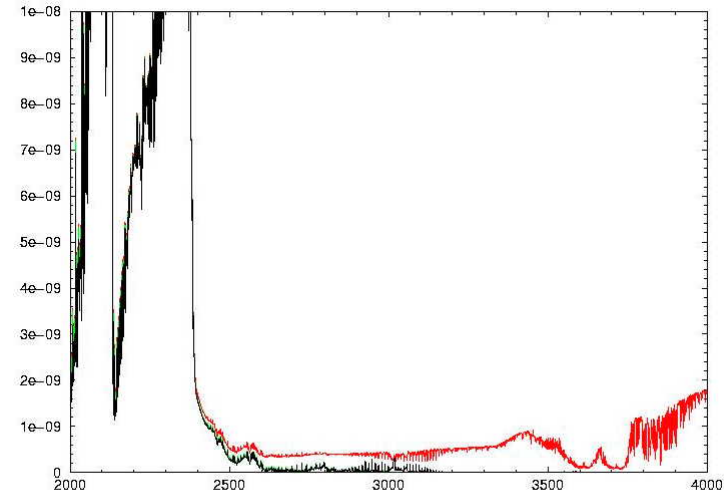
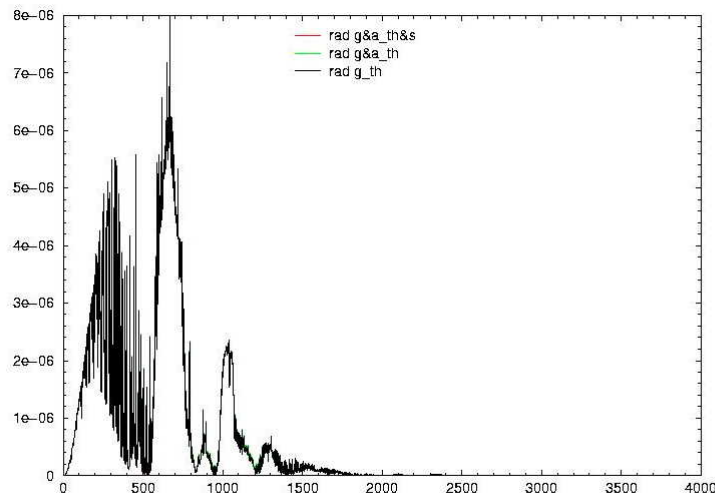
  - basis for new RT-code

- Example: Modtran calculations - Radiance

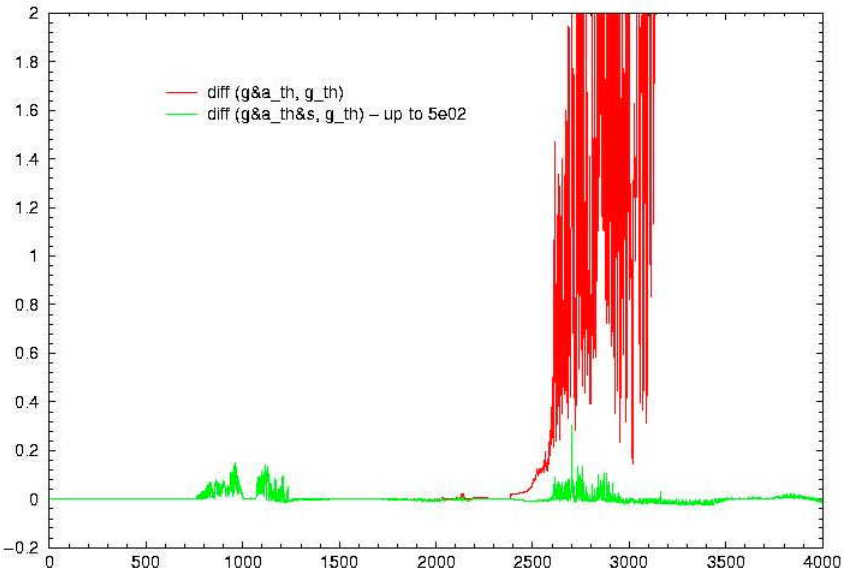


Tangent height  
= 5 km

Tangent height  
= 15 km

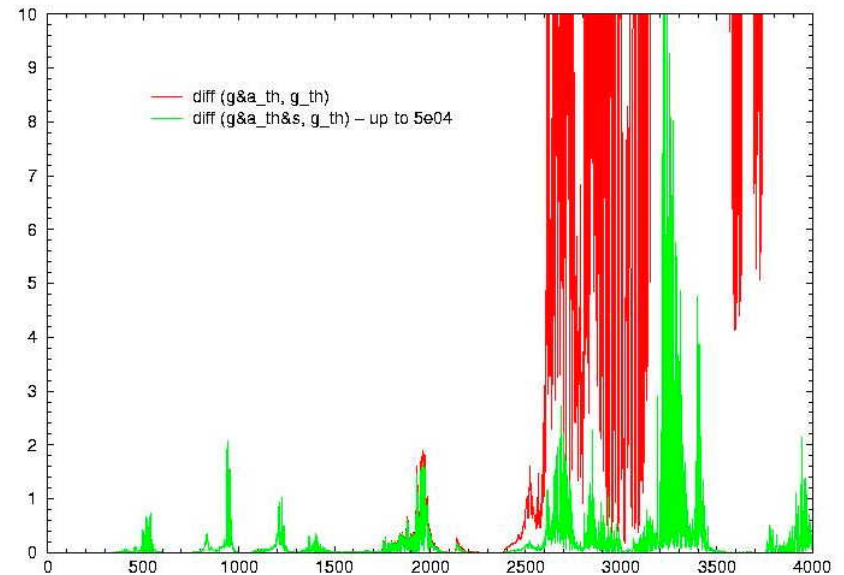


- Example: Modtran calculations – relative Differences of Radiance



Tangent height  
= 5 km

Tangent height  
= 15 km



- **properties (taken from OPAC database)**

absorbing (abs.coeff.  $\alpha_A$ )

emitting (abs.coeff.  $\alpha_A$ ), isotropic

scattering (scatt.coeff  $\beta_A$ ), angledependent (phasefunction P)



MIRART\_G

MIRART\_G&A

$$T = e^{\int \mathbf{a}_G ds}$$

$$T = e^{\int (\mathbf{a}_G + \mathbf{a}_A + \mathbf{b}_A) ds}$$

$$I = \int \mathbf{a}_G B ds$$

$$I = \int (\mathbf{a}_G + \mathbf{a}_A) B ds$$

- **Optical Properties of Aerosols and Clouds (OPAC)**

by Hess/Koepke/Schult/Almeida

the database: mie-calculated property-base of different aerosol components and clouds, given for  $\lambda = 0.25..40\mu\text{m}$

the software package: properties of any mixture of basic components, proposed „typical“ mixtures and height profiles

actually in MIRART: precalculated files for aerosol-loaded atmospheres

- **sun geometry**

transmission of sunlight → sun zenith angle / tangent height at each point of observer path

scattering angle (const.)

→ to calculate from sun zenith and azimuth angle (at certain point) via spherical trigonometrie



- **solar source term**

modtran sun spectra  $F_{\text{sun}}$  (res.  $1\text{cm}^{-1}$ )

extincted solar source at scattering point

aerosol scattering properties



MIRART\_P

MIRART\_P&SS

$$I = \int \mathbf{a} \cdot B ds$$

$$I = \int (\mathbf{a} \cdot B + \mathbf{b} \cdot P \cdot \mathbf{p} F_{\text{sun}} \cdot T_{\text{sun}}) ds$$

